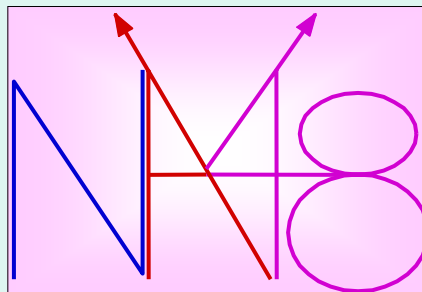


Measurement of Direct CP Violation by the NA48 experiment

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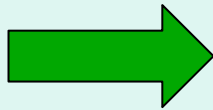


Outline

- ❖ Discrete symmetries
- ❖ The neutral kaon system
- ❖ What we measure
- ❖ NA48 - the experiment
- ❖ Analysis and results
- ❖ KTeV
- ❖ Conclusions and perspectives

Symmetry - Conservation Laws

Invariance of equations describing a physical system under an operation



Conservation Law

Examples :

Rotation in space

Conservation of angular momentum

Gauge invariance of electromagnetic field

Conservation of electric charge

Discrete Symmetries

➤ Parity P :

exchanges space coordinates (x,y,z) to $(-x,-y,-z)$

➤ Charge Conjugation C :

exchanges a **particle** to its **antiparticle** (electron to positron, quark to its antiquark, etc.)

➤ Time Reversal T :

exchanges t to $-t$

CPT Theorem

Under very general assumptions



a $C \times P \times T$ operation lets physics invariant

CPT conservation is verified experimentally

Particle-antiparticle properties:

Same mass and lifetime

Equal and opposite electric charge

What about C, P and T separately?

A brief history

❖ Beginning of sixties :

- C and P conserved in strong and electromagnetic interactions
- Weak interaction maximally violate C and P
- Their product CP was thought to be valid

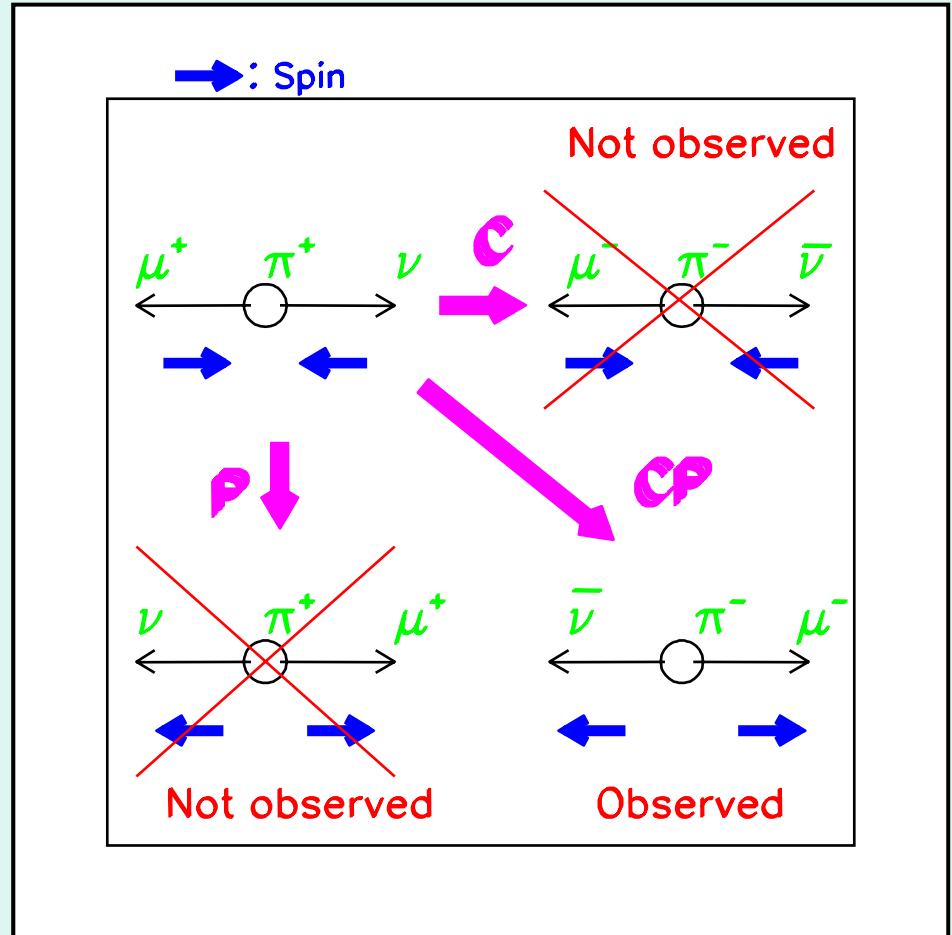
This was in agreement with experiments

- ❖ In 1964 J. Christenson et al. discovered CP Violation effects in the decay of long lived kaons to pion pairs
- ❖ CP Violation implies T Violation (CPT Theorem)

Pion decay

PION DECAY

Example of C and P
 Non conservation
 but CP conservation



The Neutral Kaon System

Neutral K are pseudoscalar mesons of $S = \pm 1$

Strangeness eigenstates

$$\begin{array}{ll} K^0 & (\bar{s}d) \quad (S = +1) \\ \bar{K}^0 & (s\bar{d}) \quad (S = -1) \end{array}$$

CP eigenstates

$$\begin{array}{ll} K_1 & = (K^0 + \bar{K}^0) / \sqrt{2} \quad (CP = +1) \\ K_2 & = (K^0 - \bar{K}^0) / \sqrt{2} \quad (CP = -1) \end{array}$$

Mass eigenstates

$$\begin{array}{ll} K_S & \cong K_1 + \varepsilon K_2 \quad (c\tau = 2.67 \text{ cm}) \\ K_L & \cong K_2 + \varepsilon K_1 \quad (c\tau = 15.51 \text{ m}) \end{array}$$

Kaon decays

K_S Decays

69 %	$\pi^+\pi^-$
31%	$\pi^0\pi^0$

K_L Decays

21 %	$3 \pi^0$
13 %	$\pi^+\pi^-\pi^0$
39 %	$\pi e \nu$
27 %	$\pi \mu \nu$
0.2 %	$\pi^+\pi^-$
0.1 %	$\pi^0\pi^0$

CPV in the Kaon system

The mass eigenstates (K_S and K_L) are NOT pure CP eigenstates

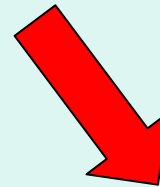
The two decay modes in $\pi^+\pi^-$ and $\pi^0\pi^0$ have $CP=+1$

K_S (almost $CP=+1$) CAN decay to two pions
 K_L (almost $CP=-1$) CANNOT decay to two pions

CP violation manifests in the observation of the
CP-forbidden $K_L \rightarrow \pi\pi$ decay

CP Violation

CP Violation has two components

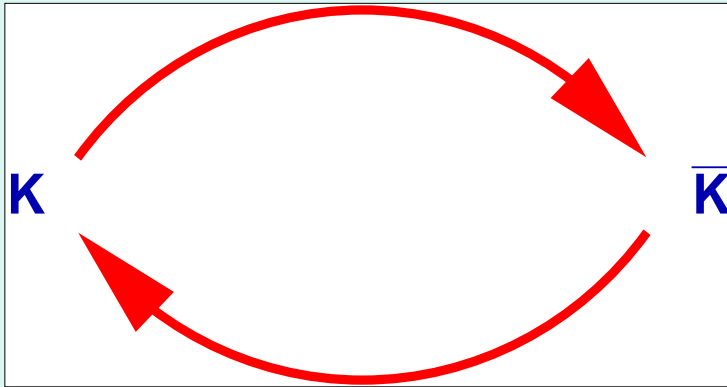


Indirect CP Violation
due to CP eigenstates
mixing inside K_S and K_L
parameter ε

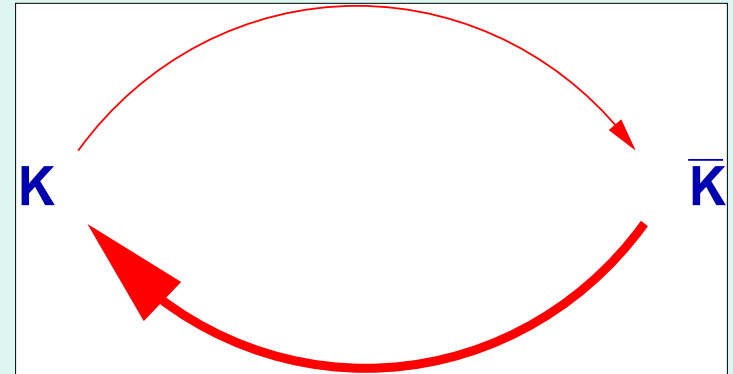
Direct CP Violation
in the decay process
parameter ε'

Indirect CP Violation

Mixing of K^0 and \bar{K}^0
is independent of CP



Indirect CPV causes
mixing to be asymmetric

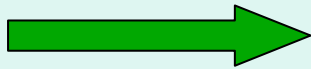


$$|A(K^0 \rightarrow \pi\pi)| \neq |A(\bar{K}^0 \rightarrow \pi\pi)|$$

$$|\varepsilon| = (2.28 \pm 0.02) \times 10^{-3}$$

Direct CP Violation

In the decay $K^0 \rightarrow \pi\pi$ the two pions can have isospin $I=0,2$



Two amplitudes A_0 and A_2

The phase difference of these two channels determines
DIRECT CP VIOLATION

$$A(K_L \rightarrow \pi^+\pi^-) / A(K_S \rightarrow \pi^+\pi^-) = \eta_{+-} = \varepsilon + \varepsilon'$$

$$A(K_L \rightarrow \pi^0\pi^0) / A(K_S \rightarrow \pi^0\pi^0) = \eta_{00} = \varepsilon - 2\varepsilon'$$

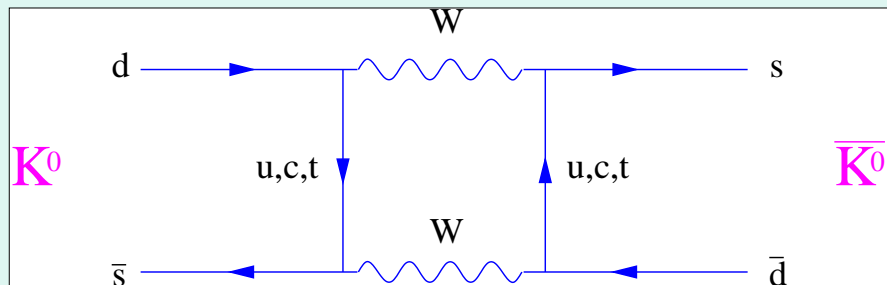
$$\varepsilon' = i e^{i(\delta_2 - \delta_0)} \text{Im}(A_2/A_0) / \sqrt{2}$$

Standard Model Predictions

CP Violation: naturally included in the Standard Model due to an irreducible complex phase in the quark mixing matrix in the case of three families

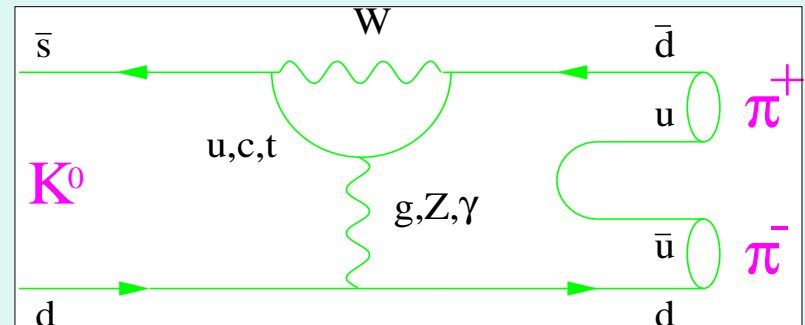
Indirect CPV

Box diagram $\Delta S=2$



Direct CPV

Penguin diagram $\Delta S=1$



What we measure

Direct CPV (ε') is **small** wrt Indirect CPV (ε)

Convenient to measure $\text{Re}(\varepsilon'/\varepsilon)$

It can be shown that the measurable quantity $\text{Re}(\varepsilon'/\varepsilon)$ is connected to the ratio R of four observable decay rates:

$$R = \frac{\Gamma(K_L \rightarrow \pi^0\pi^0) \times \Gamma(K_S \rightarrow \pi^+\pi^-)}{\Gamma(K_S \rightarrow \pi^0\pi^0) \times \Gamma(K_L \rightarrow \pi^+\pi^-)} = 1 - 6 \text{Re}(\varepsilon'/\varepsilon)$$

Typical theoretical predictions: $\text{Re}(\varepsilon'/\varepsilon)$ in the range $5-30 \times 10^{-4}$

Experimental status of ε'/ε

- Previous generation experiments (results in early 90's):

- NA31 (CERN) $(23.0 \pm 6.5) \times 10^{-4}$

- E731 (Fermilab) $(7.4 \pm 5.9) \times 10^{-4}$

$(\varepsilon'/\varepsilon) \neq 0 ? \Rightarrow$ New generation of experiments

- First published results three years ago :

- KTEV (Fermilab) $(28.0 \pm 4.1) \times 10^{-4}$ (part of 96-97 data)

- NA48 (CERN) $(18.5 \pm 7.3) \times 10^{-4}$ (97 data)

- Preliminary NA48 result on 98 data last year :

$(14.0 \pm 4.3) \times 10^{-4}$ (combined with 97 data)

- Before May 2001

world average $(19.2 \pm 2.5) \times 10^{-4}$ but $\chi^2/\text{ndf} = 10.4/3$

Need final results from NA48 and KTEV to clarify the situation.

Data samples

GOAL:
measure $\text{Re}(\varepsilon'/\varepsilon)$
with an accuracy of
 2×10^{-4}

Several millions of $K_L \rightarrow \pi^0\pi^0$
(the limiting decay mode)

A huge amount of data to
control systematics

Raw Data taken:

DO, RUN I	~ 40 TB
ZEUS, RUN I	~ 30 TB
BaBar	~ 50 TB
NA48	~ 170 TB

~16K triggers/burst recorded
Only ~100 are good $\pi\pi$ modes,
the rest is for systematics

Accumulated statistics
before 2000 → 3.8 millions
year 2001 → 1.4 millions

The NA48 method

The double ratio R is related to the decay widths

In the experiment we measure

$$R^{\text{meas}} = \frac{N_L^{00} \times N_S^{+-}}{N_S^{00} \times N_L^{+-}}$$

Basic principle is **SYMMETRY** between

K_L and K_S

$\pi^+\pi^-$ and $\pi^0\pi^0$

Take the four decay modes

- Simultaneously
- In the same decay region

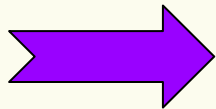
Count the number of events

The double ratio

At first order:

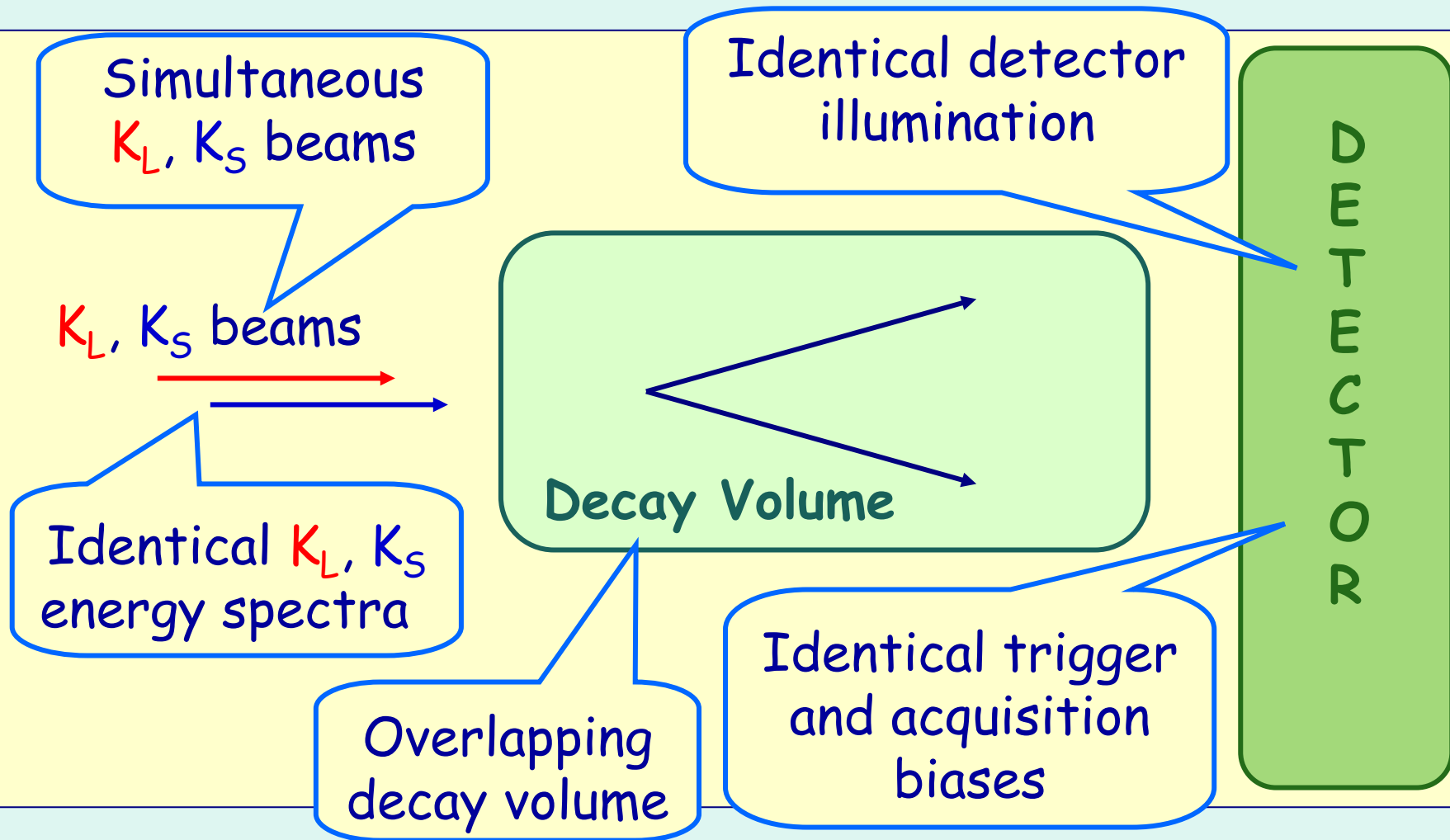
- ★ Corrections on R^{meas} (common to either K_L and K_S or $\pi^+\pi^-$ and $\pi^0\pi^0$) cancel out in the double ratio.
- ★ Variation of fluxes, inefficiencies, dead time, accidental losses vanish (simultaneous data taking).
- ★ The amount of residual correction is minimized by weighting the K_L decay distribution to get similar acceptances for K_S and K_L

Only second order effects must be taken into account

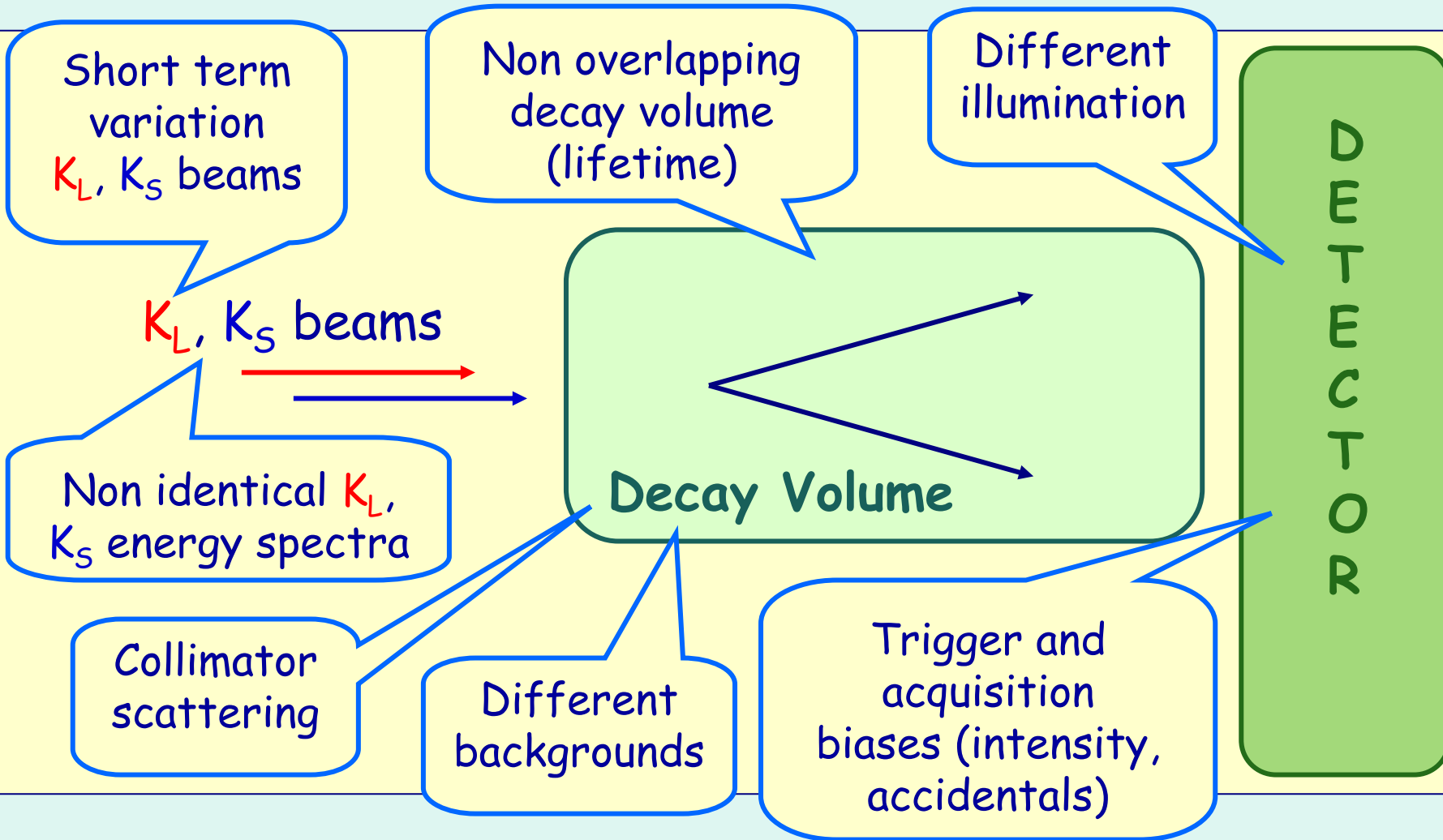


need special care

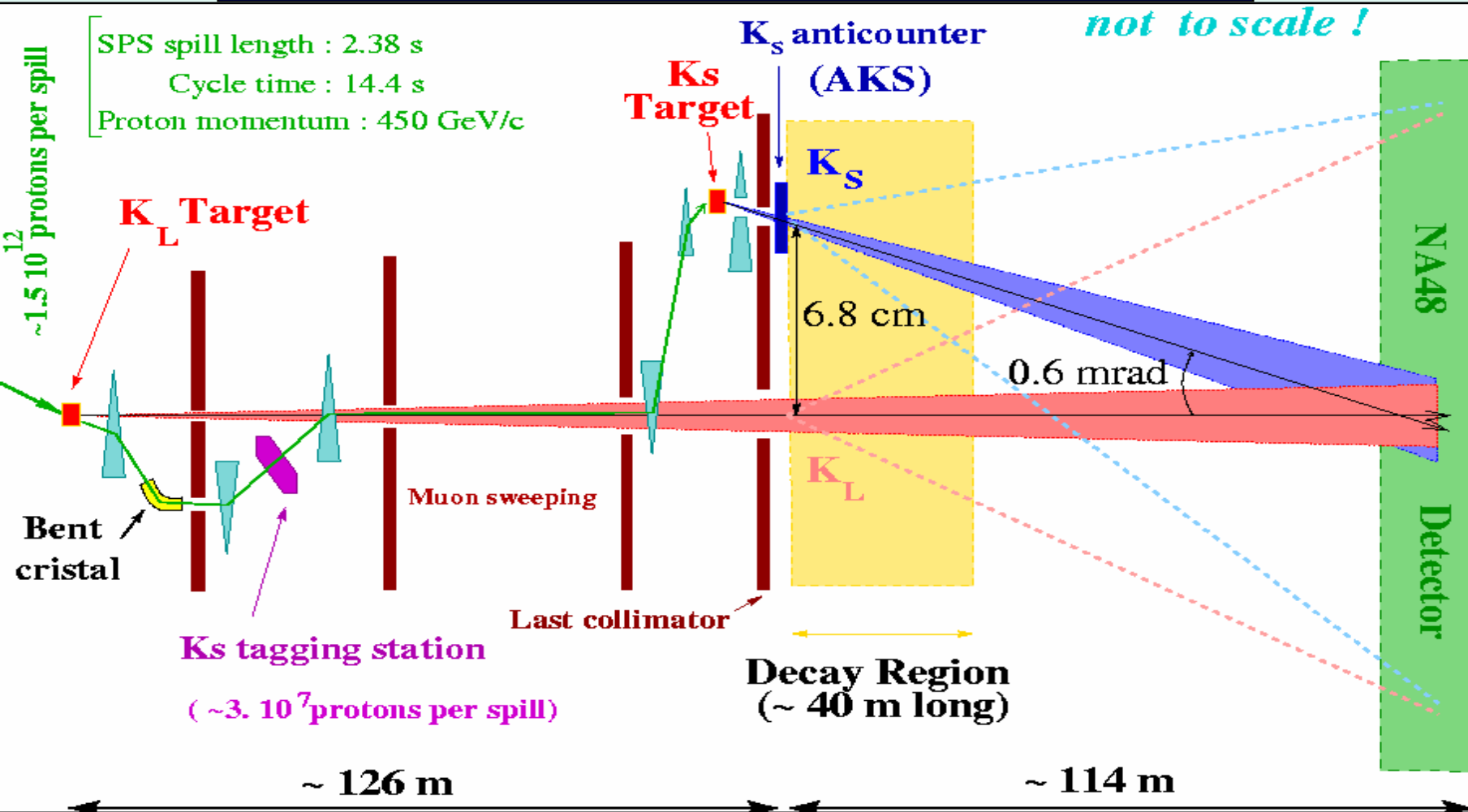
The ideal experiment...



...and the real case



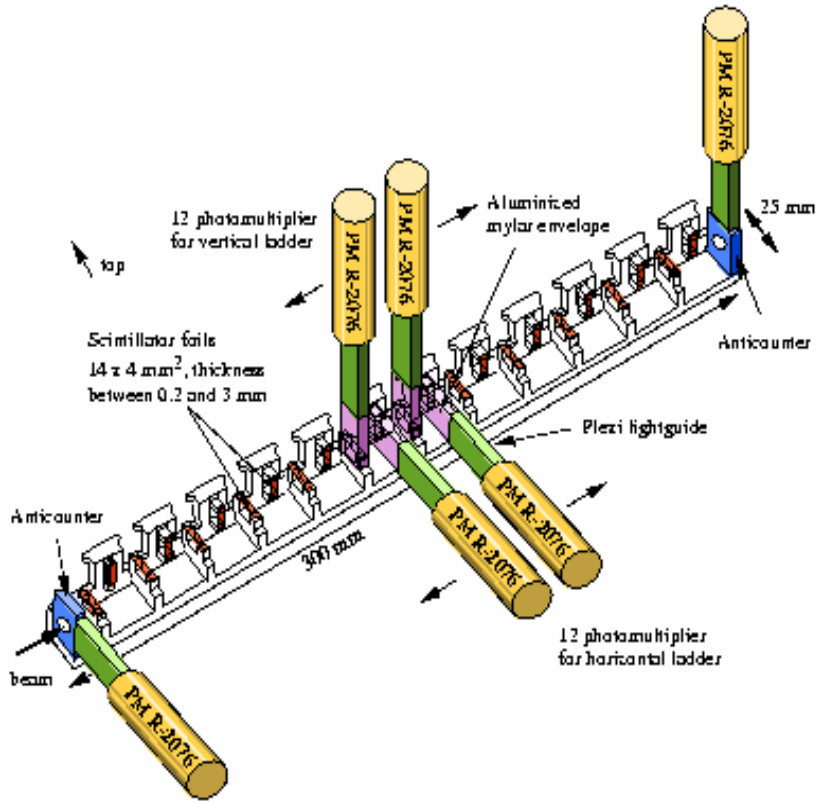
NA48 K_L and K_S beams



K_S and K_L beams are distinguished by proton tagging upstream of the K_S target

The Tagger

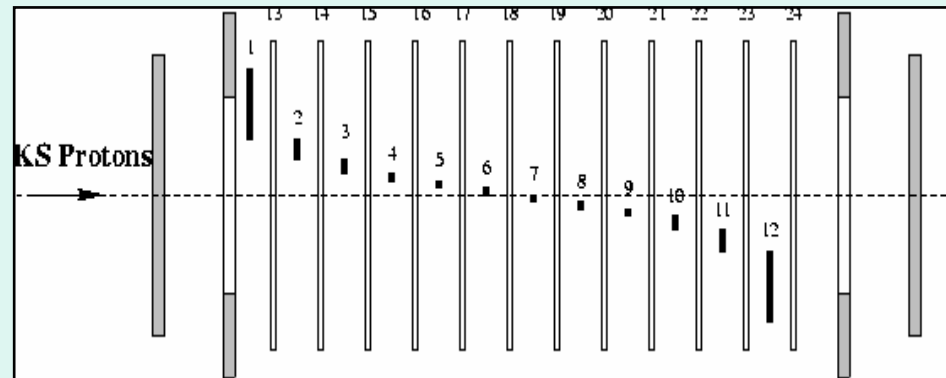
2x12 thin scintillator foils



⇒ Proton rate $\approx 30\text{MHz}$ → split the intensity between foils, readout by 8 bits Flash ADC at 960 MHz

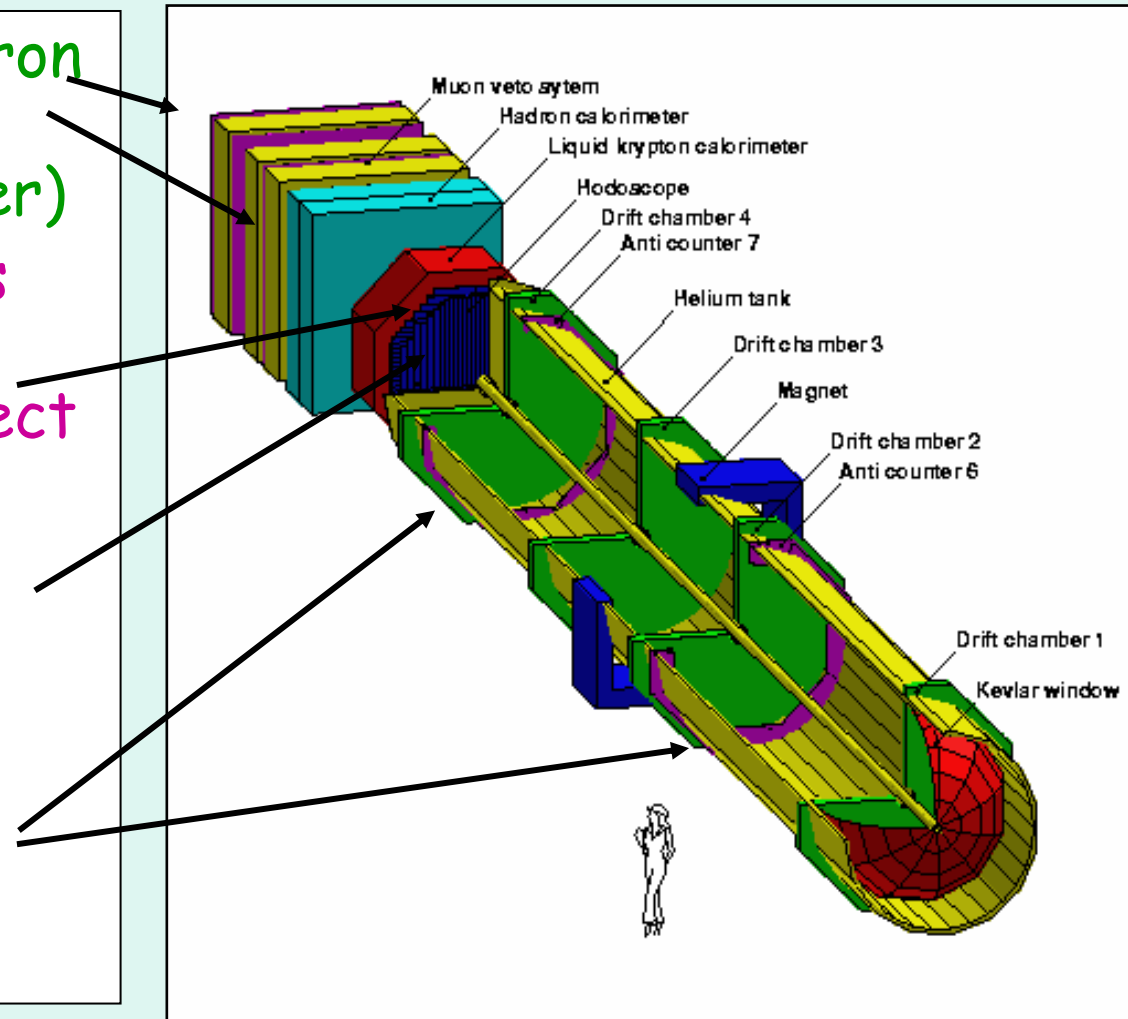
⇒ time resolution : 140 ps

⇒ double pulse separation : 4 ns

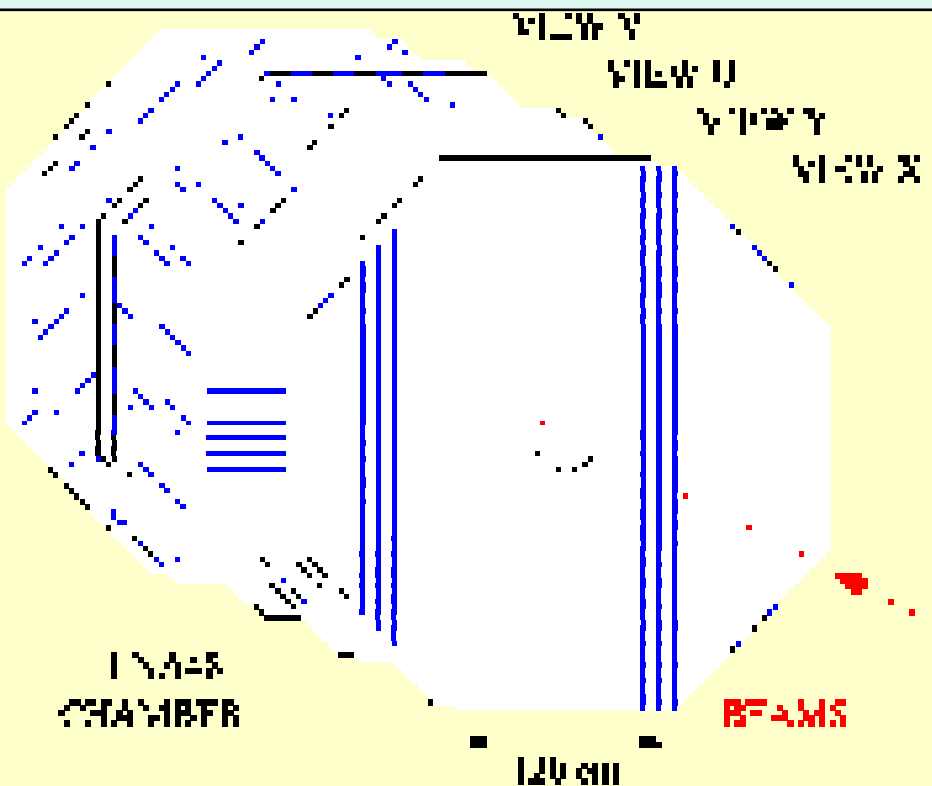


The NA48 Detector

- Muon veto and hadron calorimeter (background, trigger)
- Quasi homogeneous liquid krypton calorimeter to detect $\pi^0\pi^0$ events
- Scintillation hodoscope (trigger and timing $\pi^+\pi^-$)
- Magnetic spectrometer to detect $\pi^+\pi^-$ events



The Magnetic Spectrometer



2 + 2 drift chambers + magnet
→ 265 MeV/c kick

- ★ Good redundancy
- ★ 4 × 2 planes × 256 wires
- ★ Drift time < 100 ns
- ★ Space resolution $\approx 100 \mu\text{m}$

$$\sigma(p)/p = 0.5\% \oplus 0.009 p[\text{GeV}/c]\%$$

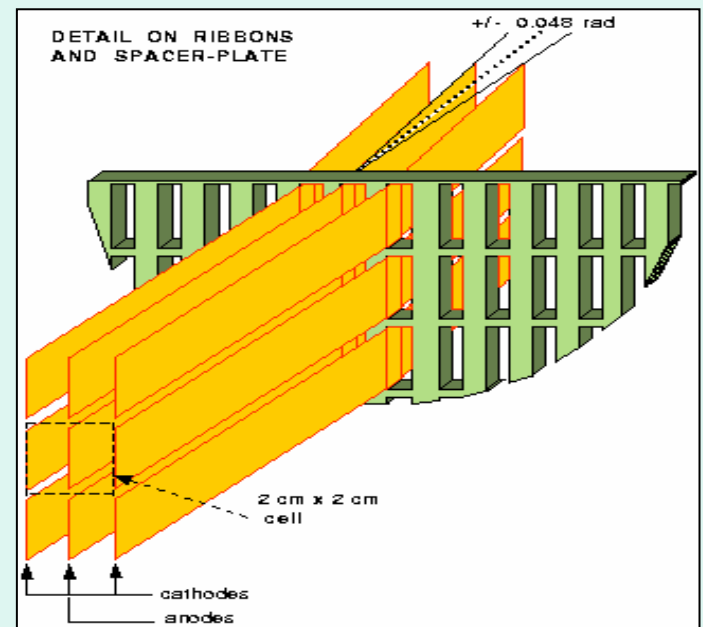
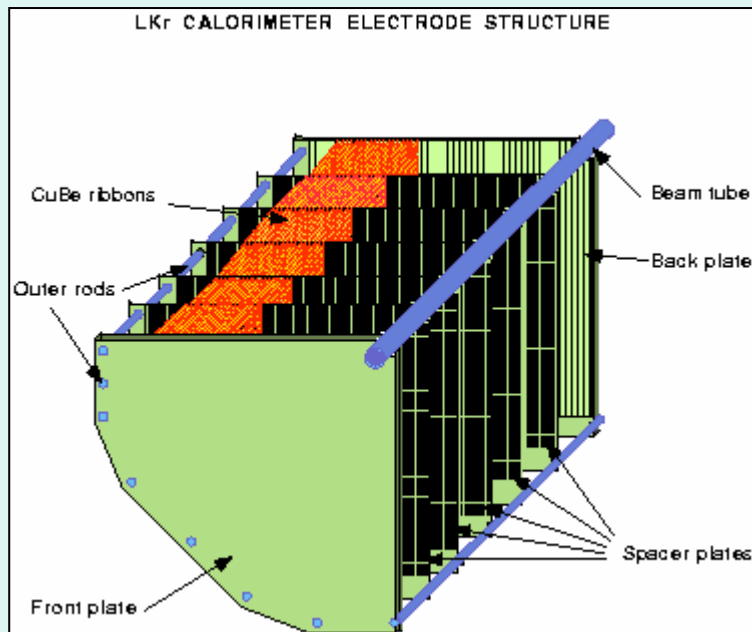
The LKr e.m. calorimeter

- Quasi-homogeneous detector
10 m³ liquid krypton (120 K)
($X_0 = 4.7$ cm, $R_M = 6.1$ cm)
- 13212 cells
- Granularity 2x2 cm²
- Depth 1.25 m (27 X_0)



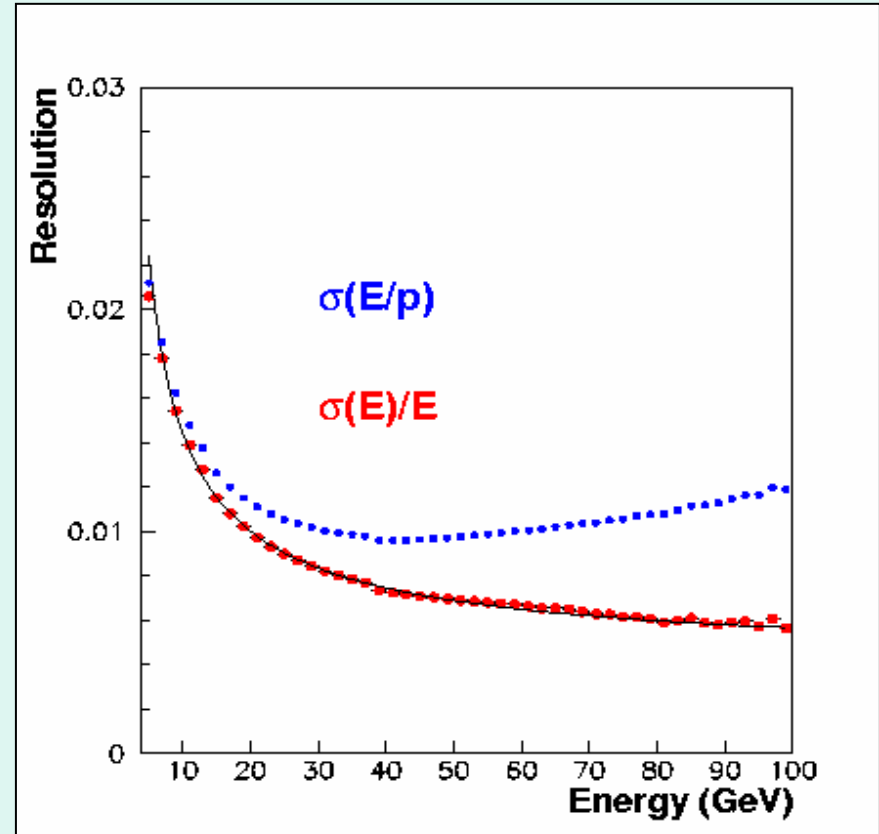
LKr geometry

- Projective geometry pointing to decay region (~ 114 m upstream)
- Accordion geometry (± 48 mrad), Cu-Be-Co electrodes
- Initial current read-out



LKr resolution

- Use large sample of $K_L \rightarrow \pi e \nu$ to study LKr energy response.
- Compare p from spectrometer and E from calorimeter.



$$\sigma(E)/E \cong 3.2\% / \sqrt{E} \oplus 9\%/E \oplus 0.42\%$$

(E in GeV) (better than 1% for 25 GeV photons)

Trigger / 1

$\pi^+\pi^-$ trigger

◆ Level 1:

- Hodoscope + total energy + hits in drift chambers
- Output rate 100 kHz, dead time 0.5 %
- Efficiency $(99.535 \pm 0.011)\%$ (evaluated from trigger components)

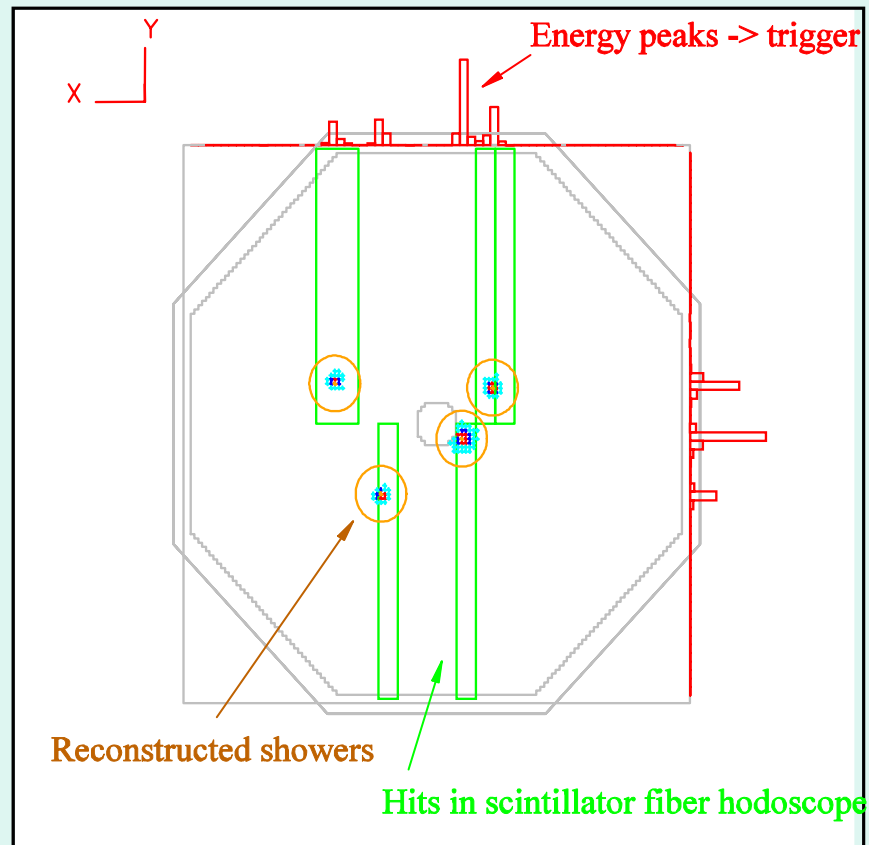
◆ Level 2:

- Fast track reconstruction (100 ms) from processors farm
- Cut on vertex position and invariant mass
- Output rate 2kHz, dead time 1.1%
- Efficiency $(98.353 \pm 0.022)\%$ (from Level 1 triggers)

Trigger / 2

$\pi^0\pi^0$ trigger

- ◆ Based on LKr information summed into projections
- ◆ Cuts on total energy, decay vertex and number of photons
- ◆ Fully pipelined ($3\mu\text{s}$), no dead-time, 2 kHz
- ◆ Efficiency (99.920 ± 0.009) % (from auxiliary trigger, NHOD)
- ◆ Negligible K_S to K_L (weighted) difference



Analysis

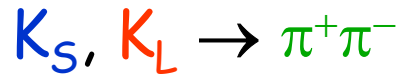
- ⊗ Reconstruct and count $\pi^+\pi^-$ and $\pi^0\pi^0$ decays
- ⊗ Disentangle K_S from K_L using tagging
- ⊗ Subtract the remaining background
- ⊗ Evaluate corrections and systematics
- ⊗ Checks and stability of the result

!!!All given effects are on the double ratio!!!

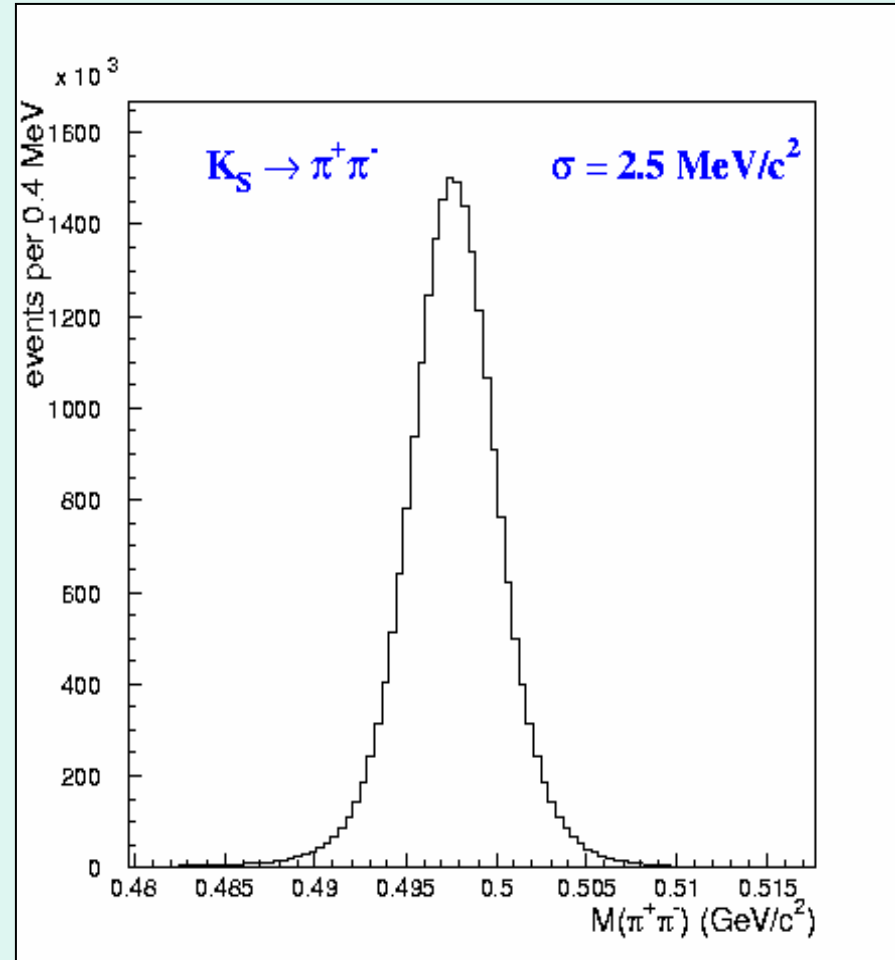
$$\text{Re}(\varepsilon'/\varepsilon) = (1-R)/6$$

$$\sigma(\text{Re}(\varepsilon'/\varepsilon)) = \sigma(R)/6$$

$\pi^+\pi^-$ sample



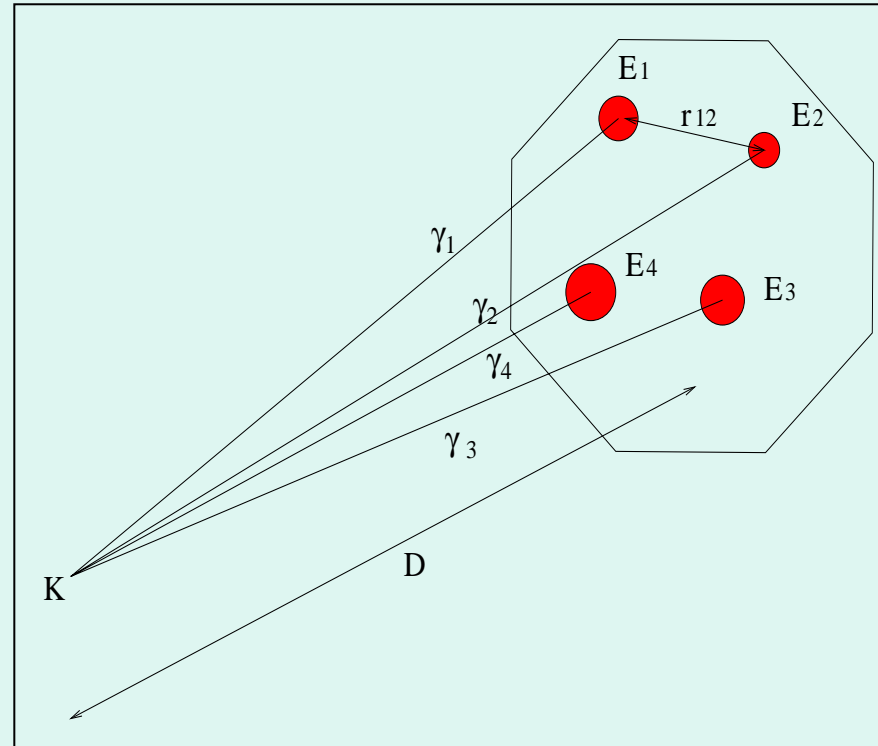
- Decay vertex and $M(\pi\pi)$ reconstructed by the spectrometer
- Decay time from the hodoscope ($\sigma = 140$ ps)



$\pi^0\pi^0$ sample

$$K_S, K_L \rightarrow \pi^0\pi^0$$

- E_i , x_i and γ_i of the four photons reconstructed in the LKr \longrightarrow two $M(\gamma\gamma)$ and decay vertex
- Decay time from the LKr calorimeter ($\sigma = 200$ ps)

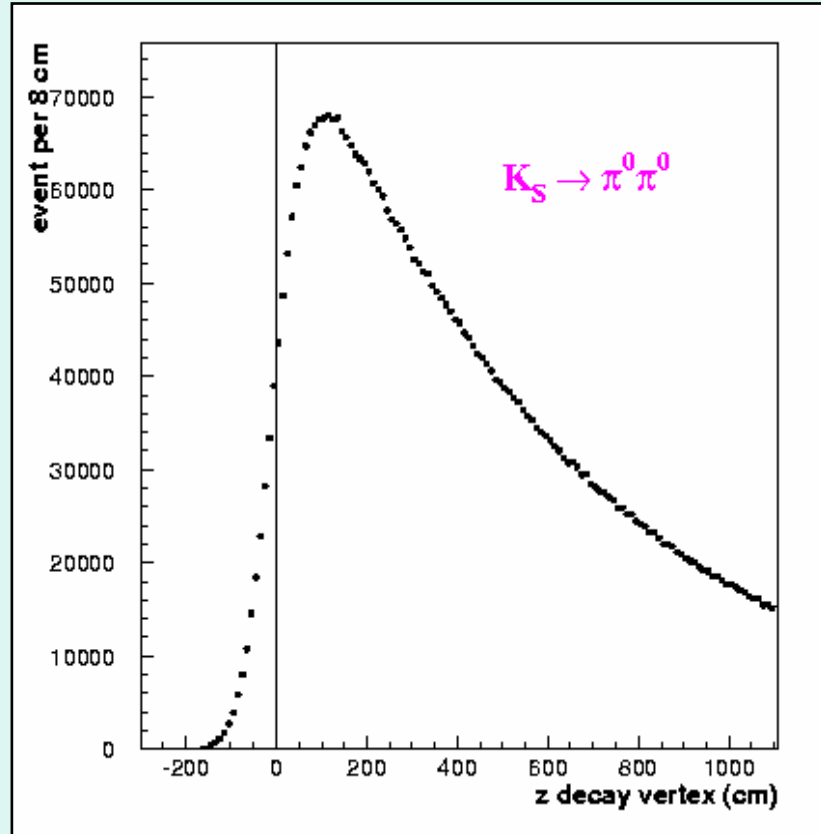


$$D = z_{\text{LKr}} - z_{\text{decay}} = \sqrt{\sum_{ij} E_i E_j r_{ij}^2 / M_K}$$

Reconstruction

- ❖ In $\pi^+\pi^-$ case depends on chamber geometry
 - z position $\cong 1$ mm
 - transverse scale $\cong 100$ $\mu\text{m}/\text{m}$
- ❖ In $\pi^0\pi^0$ case depends on calorimeter geometry
 - transverse scale $\cong 100$ $\mu\text{m}/\text{m}$
 - and energy scale

Adjust energy scale to fit the known position of the AKS anticounter



1 cm of reconstruction error
⇒ 1×10^{-4} on energy scale and R

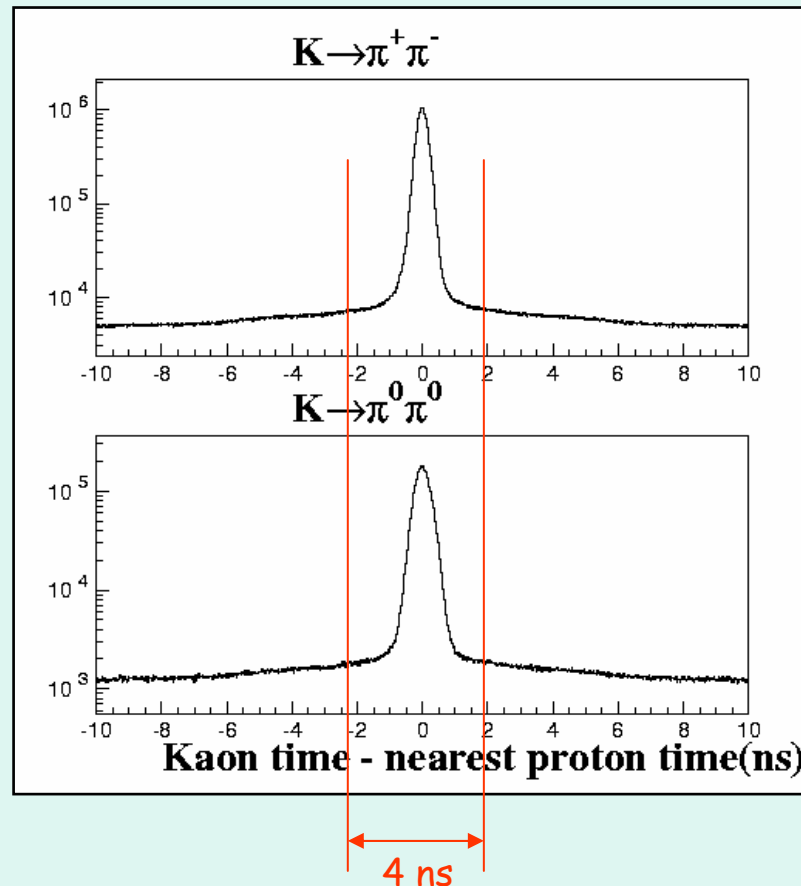
K_L - K_S identification

In both decay modes
 K_S are tagged by comparing
the event time to proton times
as they pass through the
tagging station

Δt (Kaon-proton)

≤ 2 ns $\Rightarrow K_S$

> 2 ns $\Rightarrow K_L$



Tagging errors

Two possible kind of mistakes

- K_S mistagged as K_L : probability α_{SL}

Due to inefficiency in time measurement by tagger counter or main detector (trigger hodoscope or calorimeter): α_{SL}^{+-} and α_{SL}^{00}

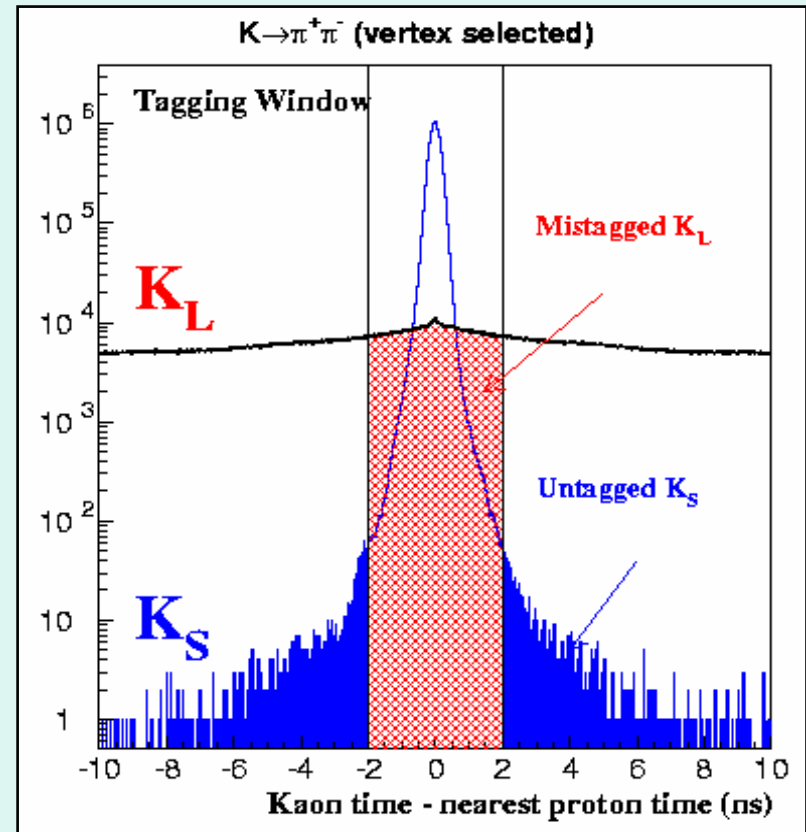
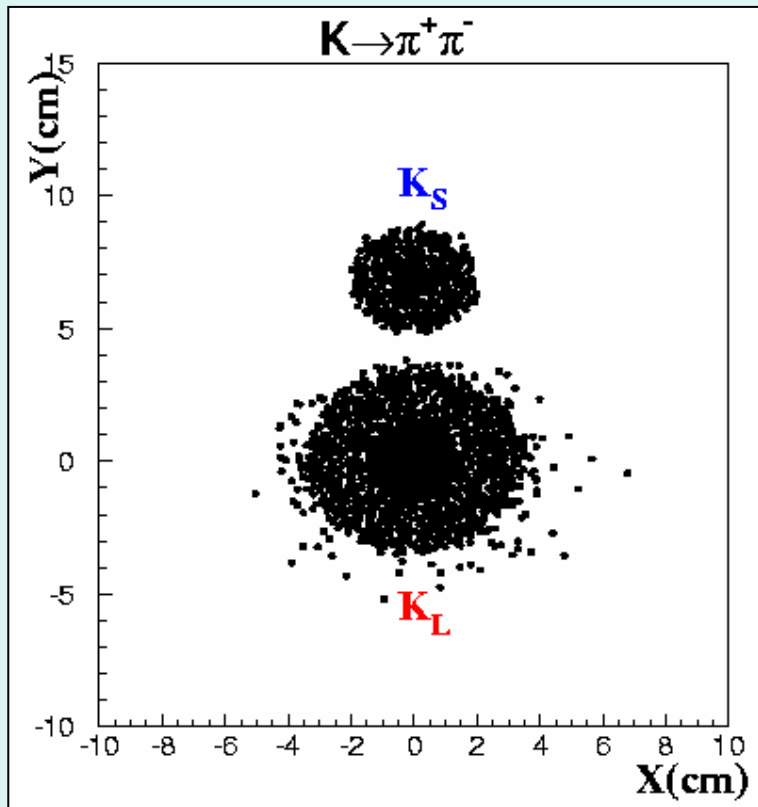
- K_L mistagged as K_S : probability α_{LS}

Due to accidental coincidence between K_L decay and a proton in the tagger - approximately symmetric between $\pi^+\pi^-$ and $\pi^0\pi^0$ because of simultaneous data taking: α_{LS}^{+-} and α_{LS}^{00}

α_{SL}^{+-} and α_{LS}^{+-} can be measured reconstructing the decay vertex with the tracking chambers

Double ratio \Rightarrow difference between neutral and charged modes

Tagging $\pi^+\pi^-$ events



Identify K_S , K_L with decay vertex position in transverse plane

$$\alpha_{SL} = (1.63 \pm 0.03) 10^{-4}$$
$$\alpha_{LS} = (10.649 \pm 0.008)\%$$

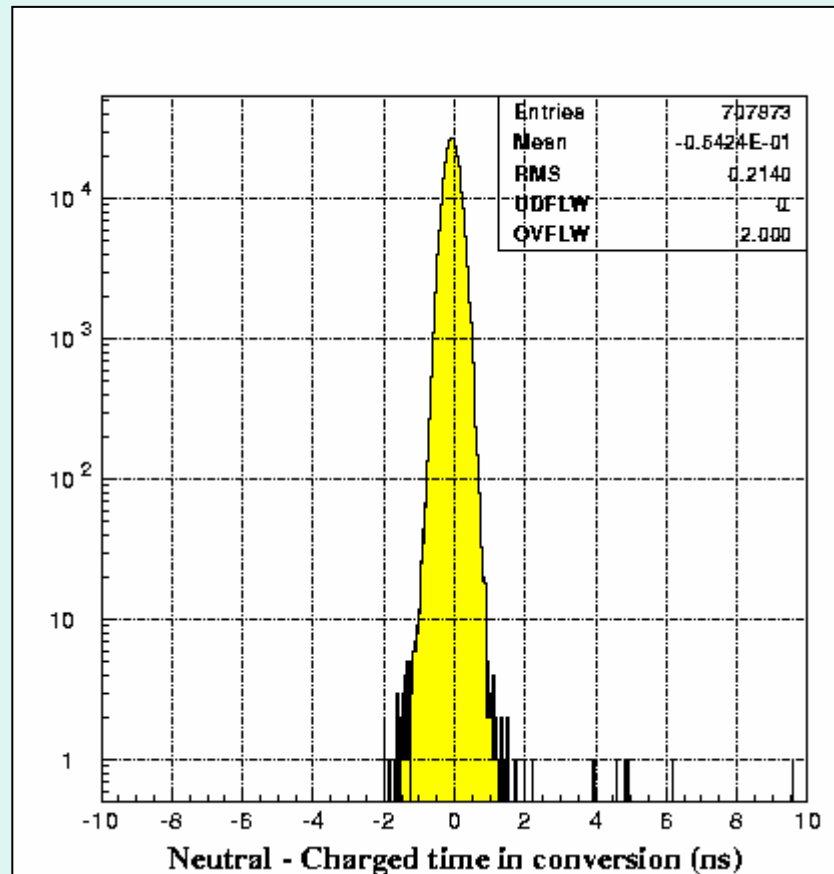
Measuring $\Delta\alpha_{SL}$

◆ Compare the time measured by calorimeter and hodoscope in events where both are available: $2\pi^0$ and $3\pi^0$ decays

- Dalitz decays of π^0
- γ conversions in vacuum window

Tails $< 0.5 \times 10^{-4}$

➔ most of the tails in $\pi^+\pi^-$ tagging coincidence are due to the tagger
they are equal in $\pi^+\pi^-$ and $\pi^0\pi^0$



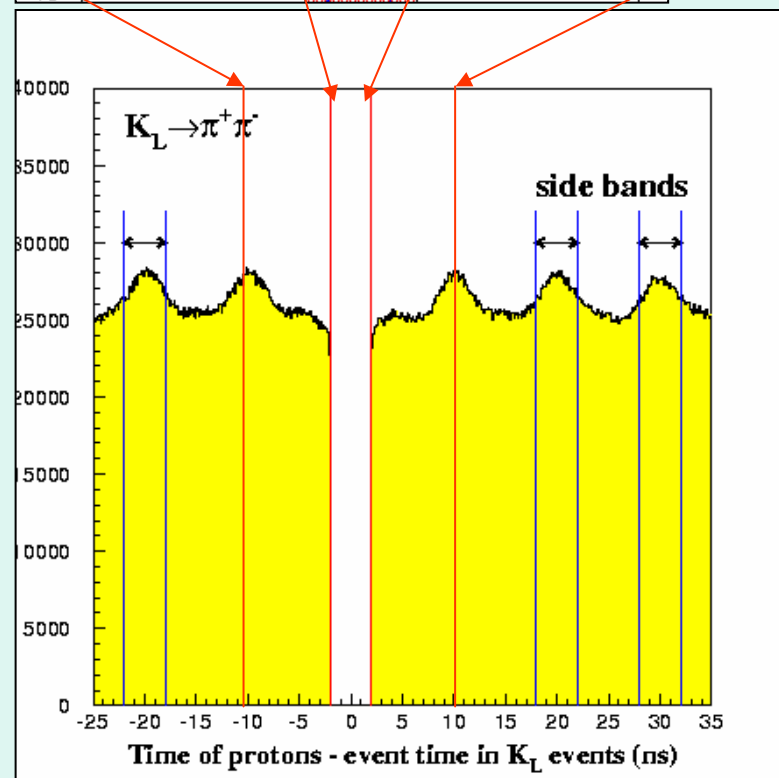
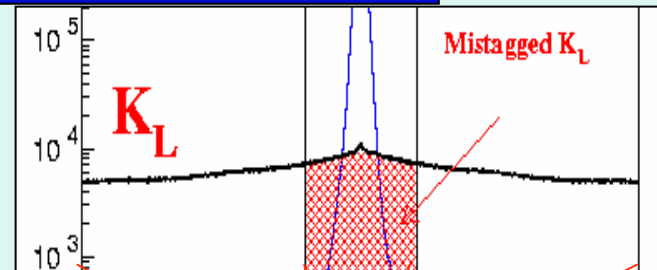
➔ $\Delta\alpha_{SL} = (0. \pm 0.5) \times 10^{-4}$

Measuring $\Delta\alpha_{LS}$

For events tagged as K_L (no proton in the central window)

→ measure $\Delta\alpha_{LS}$ using coincidence rate in tagging windows offset from the event time ("sidebands")

$$\Delta\alpha_{LS} = (4.3 \pm 1.8) \times 10^{-4}$$



Charged background

→ K_S - no background

→ K_L - main background

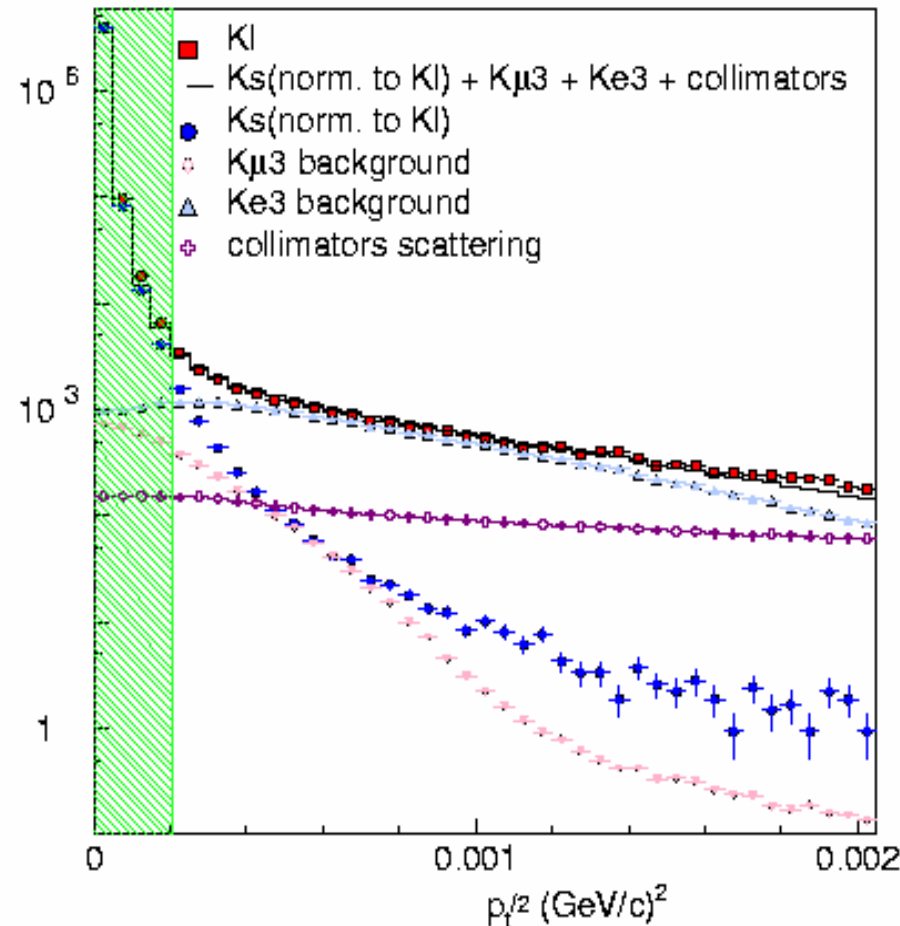
$K_L \rightarrow \pi e \nu, \pi \mu \nu$

★ Rejected by:

- Requiring $E/p < 0.8$
- no hits in muon veto
- cutting in invariant mass and transverse momentum

★ Rest subtracted:

- using control regions in $m_{\pi\pi} - p_{\perp}'^2$ distribution



Neutral background

→ K_S - no background

→ K_L - main background

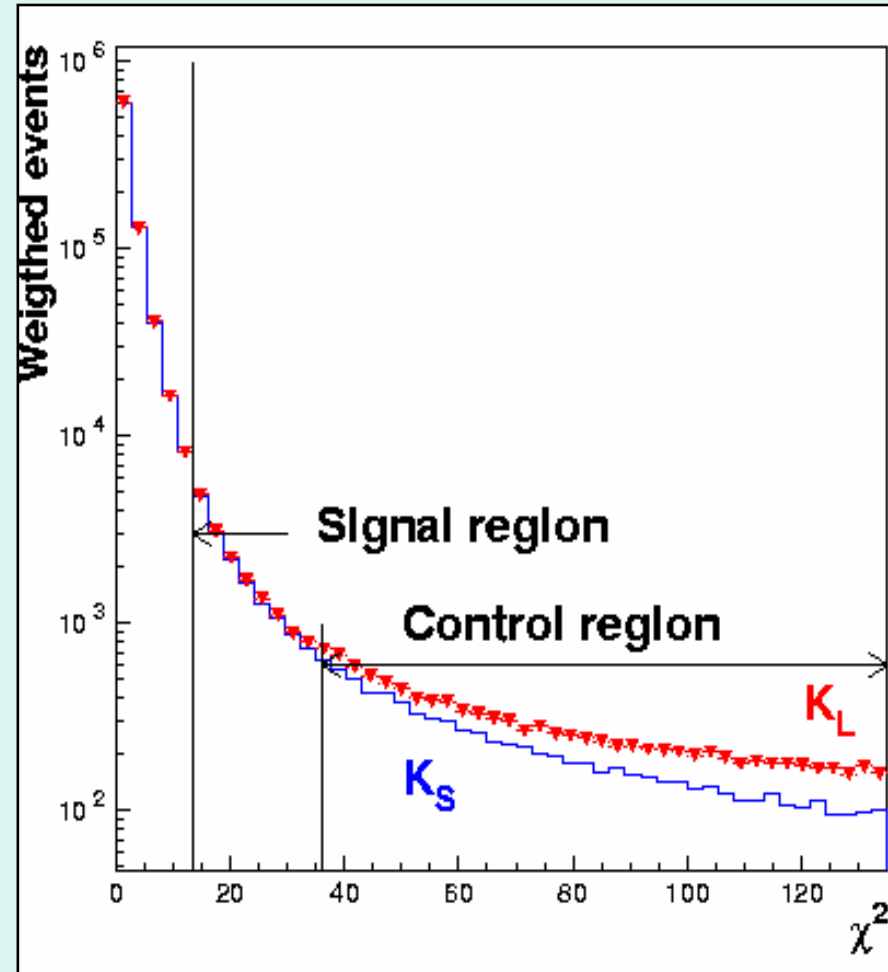
$K_L \rightarrow 3\pi^0$

★ Rejected by:

- Requiring no extra showers in time (1.5 ns)
- χ^2 from the two π^0 masses < 13.5

★ Rest subtracted:

- Extrapolating from χ^2 control region



Lifetime weighting

at any given z :

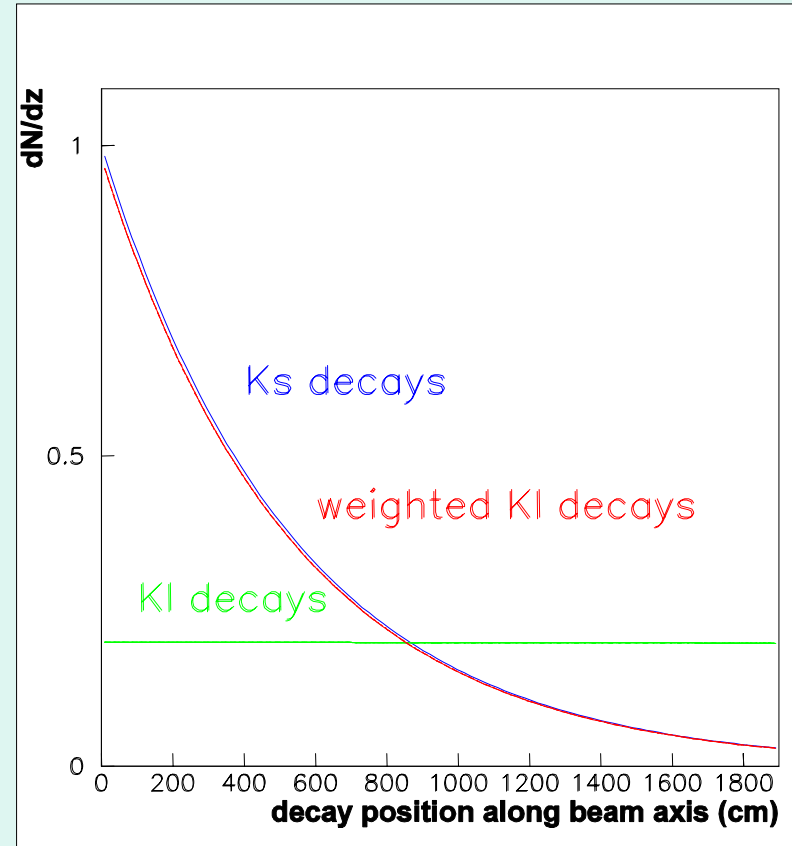
acceptance $K_S \cong$ acceptance K_L

UT \rightarrow K_S and K_L have very different decay lengths $\tau_{KL} = 600 \times \tau_{KS}$

different acceptances for K_S and K_L and large correction on R

SOLUTION: weight K_L events with $W = e^{-z/(\beta\gamma c)(1/\tau_S - 1/\tau_L)}$

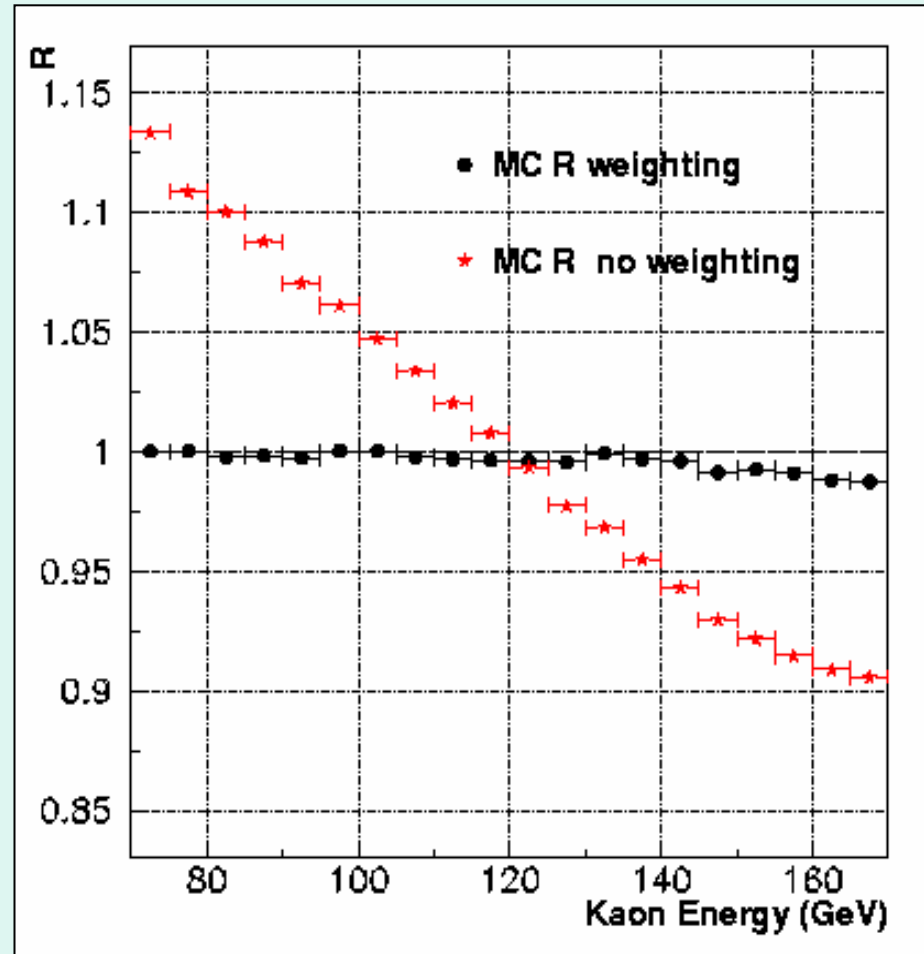
same decay vertex distribution for K_S and weighted K_L



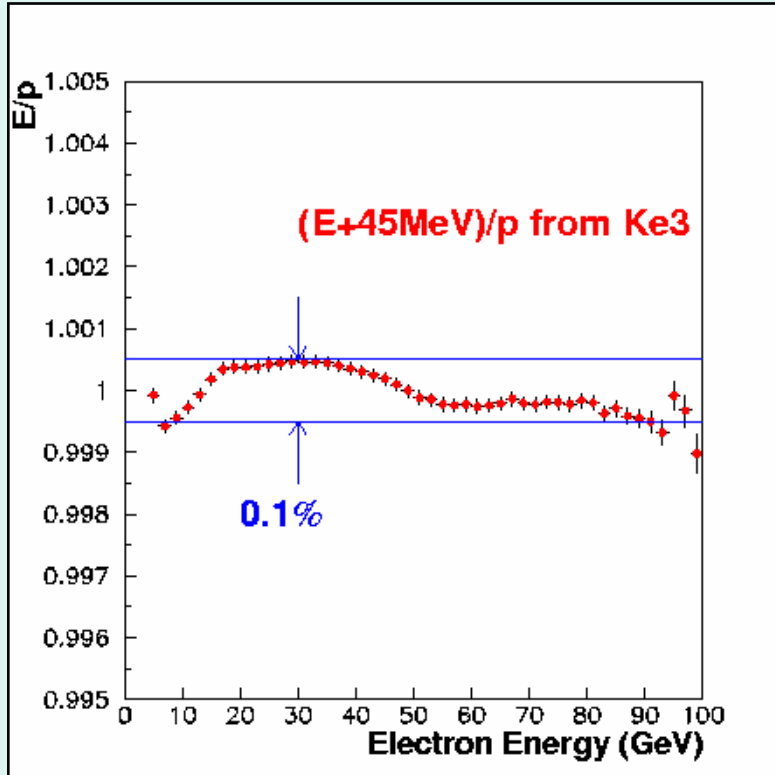
Acceptance correction cancels at the price of an increase of the statistical error (35 %)

Acceptance correction

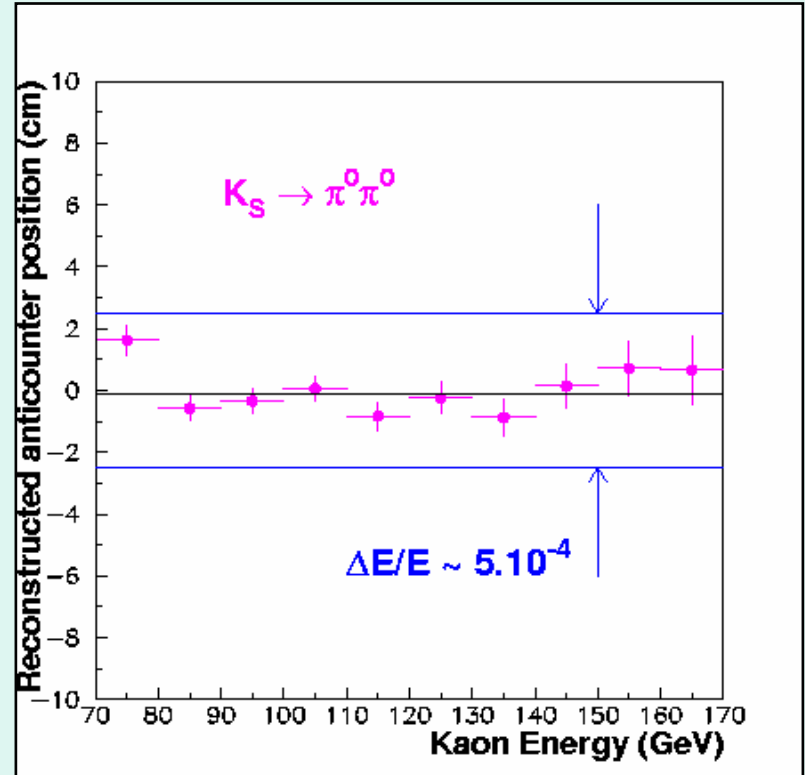
- ★ Small due to symmetric illumination
→ consequence of proper time weighting
- ★ Small residual effects from 0.6 mrad angle between K_S and K_L beams
- ★ Correction estimated using Monte Carlo



Linearity checks



Electrons from $Ke3$ decays :
 E/p constant within $\approx 0.1\%$
between a few GeV and 100 GeV



Overall check :
Reconstructed AKS position
independent of kaon energy

Systematic uncertainties

$\Delta(R)$ (in 10^{-4} units)

background	1.4 \pm 4.1
tagging errors	8.3 \pm 4.5
geometrical/energy scale, linearity	2.0 \pm 6.4
trigger/AKS efficiency	-2.5 \pm 5.2
acceptance correction	26.7 \pm 6.2
accidental losses	\pm 4.4

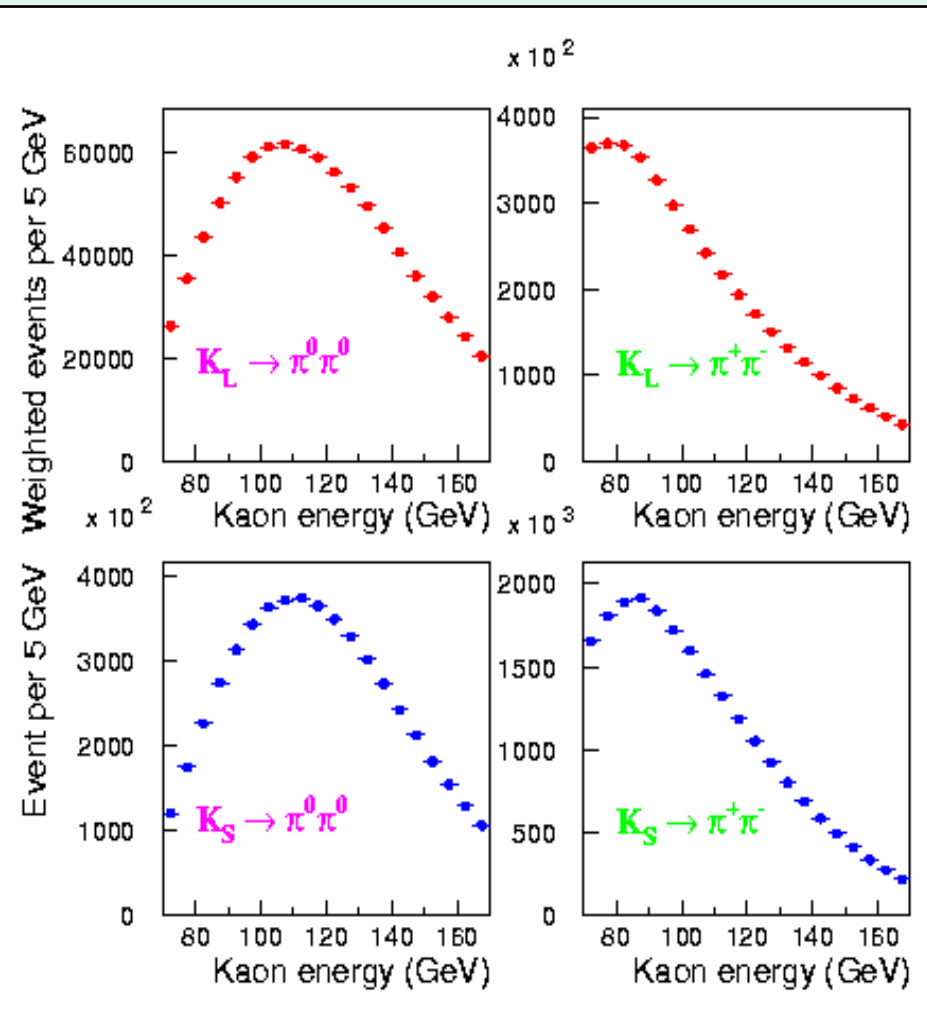
Total **35.9 \pm 12.6**

Some uncertainties include a **statistical component** (trigger efficiency, tagging, acceptance ...), contributing **± 8** to the total error above

Final Analysis

- ★ Measure R in Kaon energy bins (5 GeV wide)
 - ⇒ insensitive to K_S-K_L difference in energy spectrum
- ★ Apply lifetime weighting to K_L
- ★ Record dead time conditions
 - ◆ 1.5% from $\pi^+\pi^-$ trigger
 - ◆ 21.5% from drift chamber multiplicity limit
 - ◆ apply them offline to $\pi^0\pi^0$ too
- ➔ Minimize effect of K_S-K_L beam intensity difference

Energy spectrum

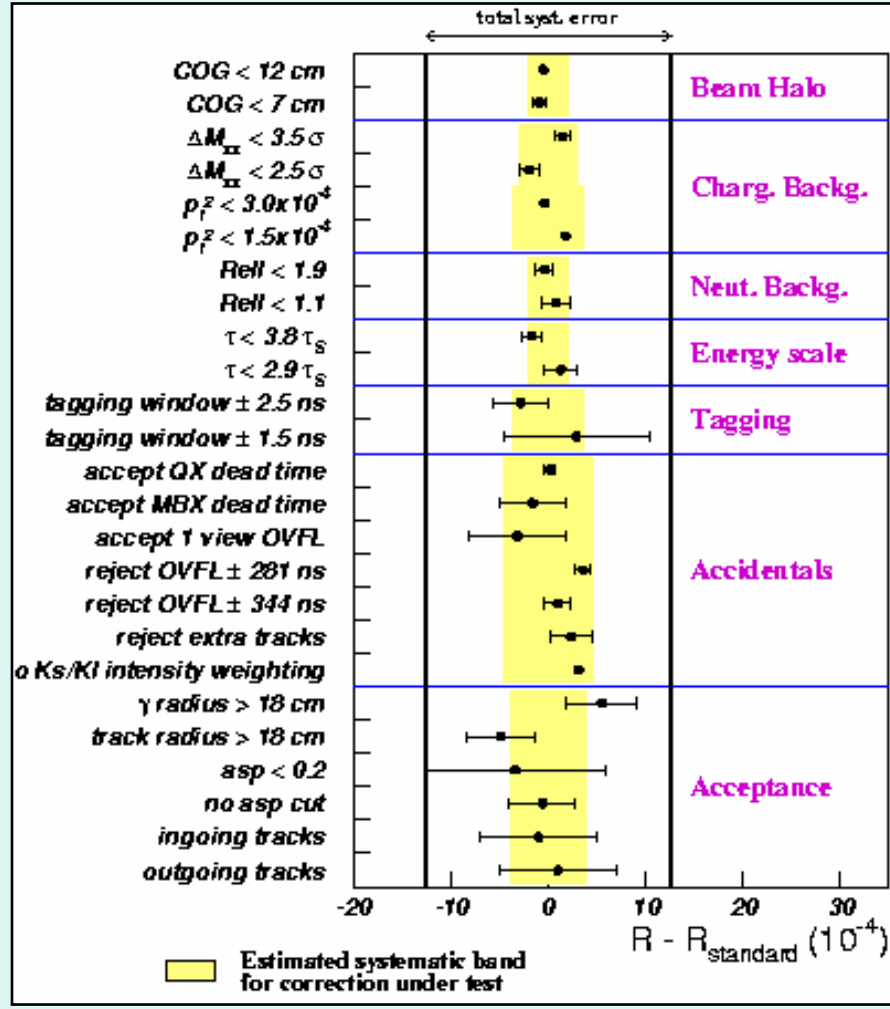
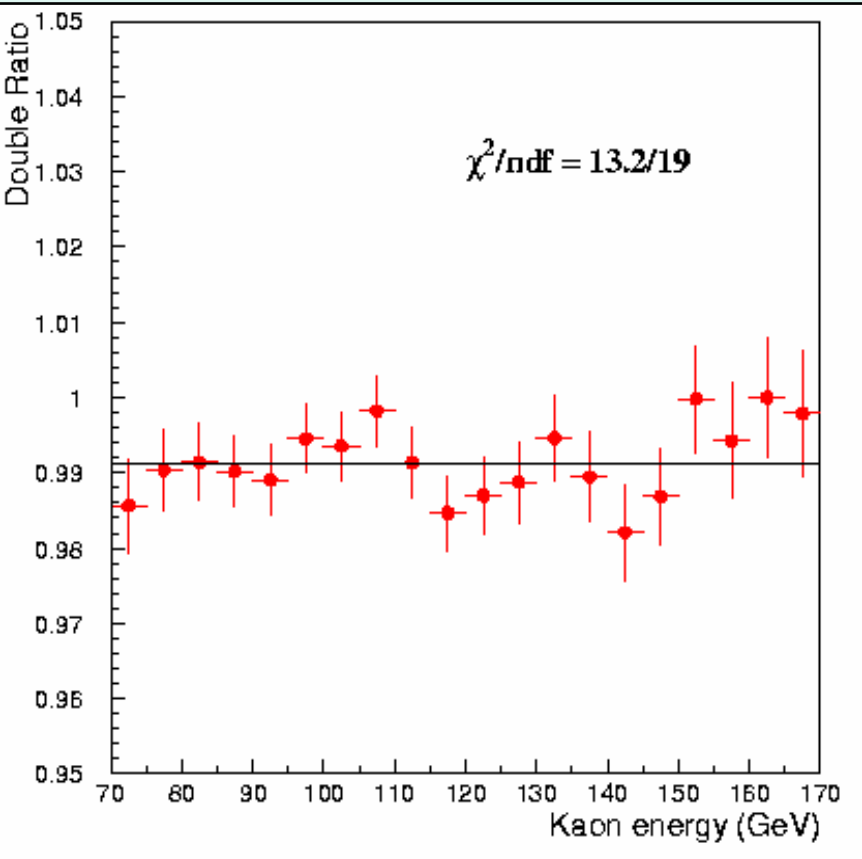


Event statistics :

- $K_L \rightarrow \pi^0 \pi^0 : 3.29 \times 10^6$
- $K_S \rightarrow \pi^0 \pi^0 : 5.21 \times 10^6$
- $K_L \rightarrow \pi^+ \pi^- : 14.45 \times 10^6$
- $K_S \rightarrow \pi^+ \pi^- : 22.22 \times 10^6$

Result and checks

$$= 0.99098 \pm 0.00101_{\text{stat}} \pm 0.00126_{\text{syst}}$$



The Result

From 98 and 99 data

$$\text{Re}(\varepsilon'/\varepsilon) = (15.0 \pm 2.7) \times 10^{-4}$$

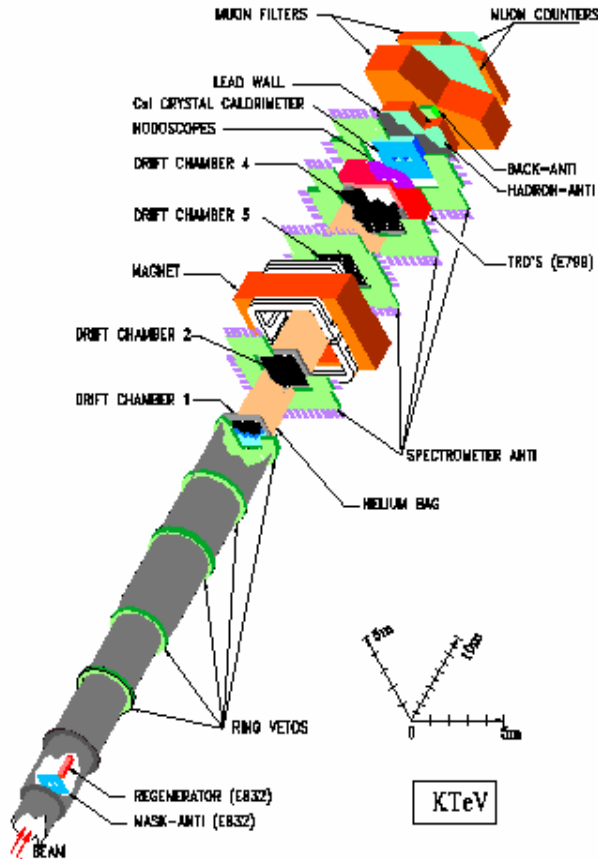
combined with
from 97 data

$$\text{Re}(\varepsilon'/\varepsilon) = (18.5 \pm 7.3) \times 10^{-4}$$

$$\text{Re}(\varepsilon'/\varepsilon) = (15.3 \pm 2.6) \times 10^{-4}$$

Direct CP Violation established at 5.9σ

KTeV @ Fermilab



- ◆ Detector similar to NA48 but not identical
- ◆ Same method (double ratio) to measure R

CsI Calorimeter:

$$\sigma(E)/E \cong 2.0\%/\sqrt{E} \oplus 0.45\%$$

Spectrometer (p_T kick ~ 400 MeV/c):

$$\sigma(p)/p \cong 0.17\% \oplus 0.007 p[\text{GeV}/c]\%$$

$$\sigma_M(\pi^0\pi^0) \sim \sigma_M(\pi^+\pi^-) \sim 1.5 \text{ MeV}$$

Vacuum" beam $\rightarrow K_L$ beam
 Regenerator" beam $\rightarrow K_L + \rho K_S$ beam

KTeV - beams

Two parallel K_L beams. One of them goes through a movable (once per minute) "regenerator" creating a K_S component



What is the regenerator?

A series of plastic scintillator blocks ($2\lambda_I$)

Because of their different quark content K^0 and \bar{K}^0 have different nuclear cross-section and their initial mixture is modified when going through the matter



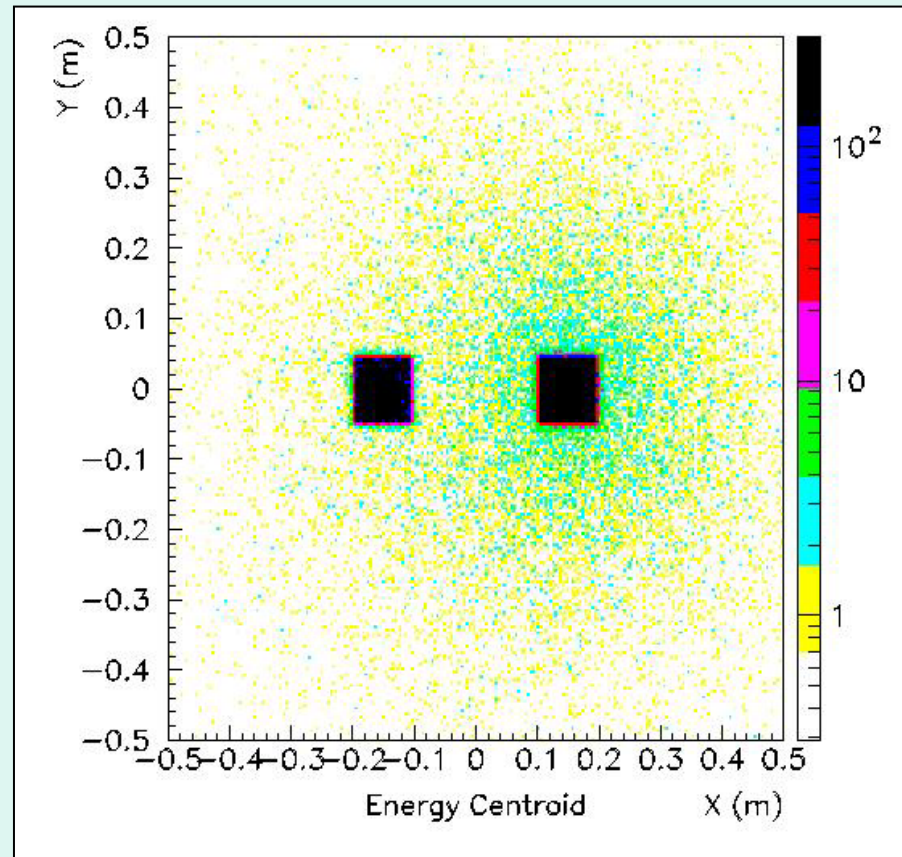
At the end of the block the initial pure K_L beam is regenerated to $K_L + \rho K_S$

KTeV - tagging K_S

- K_S are tagged using the position in the detector (vac & reg beams are parallel and 10cm apart)

$\pi^+\pi^-$ reconstructed x-y vertex position

$\pi^0\pi^0$ energy centroid in the CsI



KTeV - acceptance



NA48 uses proper time weighting



KTeV uses detailed MC predictions of the acceptance of each beam to correct data.



The correction is large but mainly due to detector geometry

KTeV - results

June 2001

Announced a revised result based on the 96 data

$$\text{Re} (\varepsilon'/\varepsilon) = (23.2 \pm 4.4) \times 10^{-4}$$

it was: $(28.0 \pm 4.1) \times 10^{-4}$

And a new result on part of 97 data

$$\text{Re} (\varepsilon'/\varepsilon) = (19.8 \pm 2.9) \times 10^{-4}$$

New average

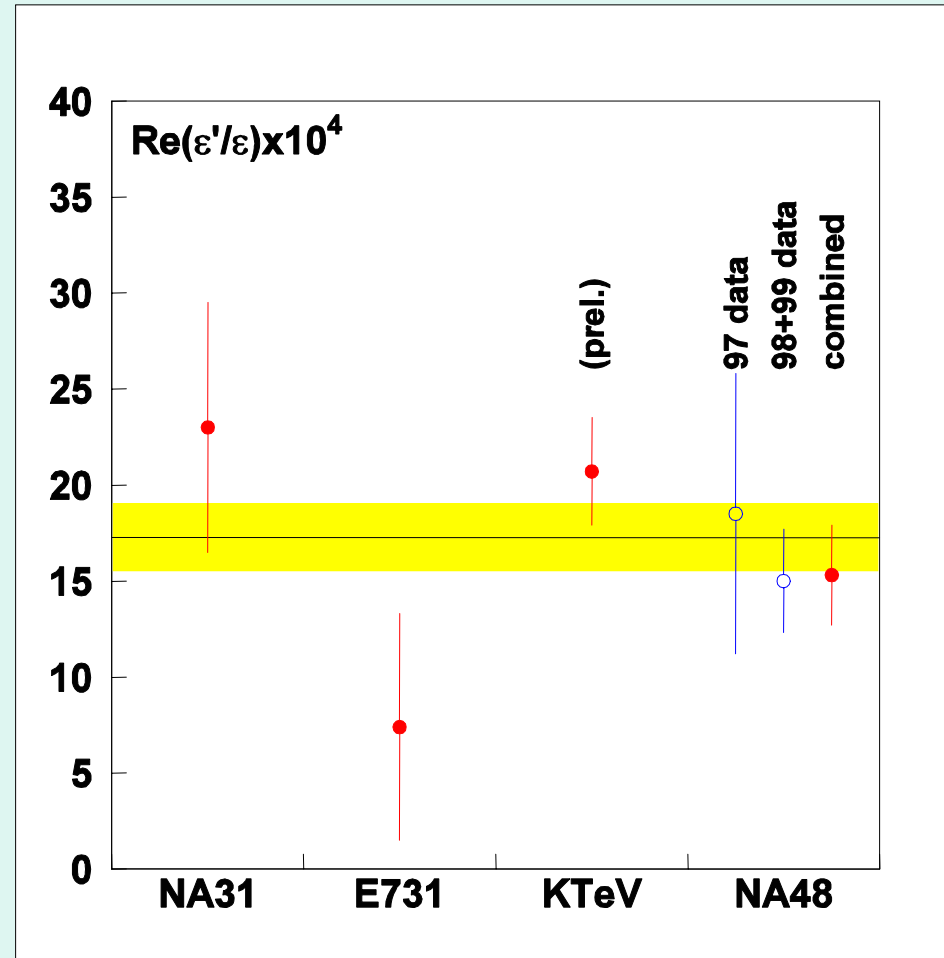
$$\text{Re} (\varepsilon'/\varepsilon) = (20.7 \pm 2.8) \times 10^{-4}$$

Experimental result comparison

New world average

$$\text{Re}(\varepsilon'/\varepsilon) = (17.2 \pm 1.8) \times 10^{-4}$$

With $\chi^2/\text{ndf} = 5.7/3$ (17% prob.)



Conclusions

After many years

Direct CP Violation has been established

➤ good agreement between experiments

➤ Hopefully KLOE will join

CP Violation larger than expected

BUT cannot explain Matter-Antimatter
asymmetry observed in the Universe

...after 1999

■ Year 2000

- ★ No ε'/ε data (implosion of beam pipe)

■ Year 2001

- ★ New spectrometer

- ★ Different beam conditions

- ★ 97-99 2.4 s every 14.4 s ($E_p = 450$ GeV)

- ★ 2001 5.2 s every 16.8 s ($E_p = 400$ GeV)

- ★ Collected 1.4×10^6 $K_L \pi^0 \pi^0$

- ★ Complete statistics and verify result under different conditions

Rare decays

Summary of recent rare decay results

$K_S \rightarrow \gamma\gamma$	$\text{BR} (2.58 \pm 0.36_{\text{stat}} \pm 0.22_{\text{sys}}) \times 10^{-6}$
$K_S \rightarrow \pi^0 e^+ e^-$	$\text{BR} < 1.4 \times 10^{-7}$ at 90% CL
$K_S \rightarrow \pi^+ \pi^- e^+ e^-$	$\text{BR} (4.3 \pm 0.2_{\text{stat}} \pm 0.3_{\text{sys}}) \times 10^{-5}$
	$A (-0.2 \pm 3.4_{\text{stat}} \pm 1.4_{\text{sys}}) \%$
$K_L \rightarrow \pi^+ \pi^- e^+ e^-$	$\text{BR} (3.1 \pm 0.1_{\text{stat}} \pm 0.2_{\text{sys}}) \times 10^{-7}$
	$A (13.9 \pm 2.7_{\text{stat}} \pm 2.0_{\text{sys}}) \%$
$K_L \rightarrow \pi^0 \gamma\gamma$	$\text{BR} (1.36 \pm 0.03_{\text{stat}} \pm 0.03_{\text{sys}}) \times 10^{-6}$

NA48 future

Two new programs have been approved by the CERN Research Board :

- A high sensitivity investigation of K_S and neutral hyperon decays using a modified beam (NA48/I, 2002)
- A precision measurement of charged kaon decay parameters with an extended NA48 setup (NA48/II, 2003)

NA48 / I

- ◆ High intensity K_S beam (factor 160)
- ◆ 80 days scheduled (-25% CERN budget)
- ◆ Physics interest
 - ★ $K_S \rightarrow \pi^0 e^+ e^-$ (th. 5×10^{-9} , expected 7 events)
Bound the indirect CPV component of $K_L \rightarrow \pi^0 e^+ e^-$
 - ★ CPV in $K_S \rightarrow \pi^0 \pi^0 \pi^0$ (η^{000})
 - ★ Non leptonic K_S decays (χ^{PT})
 - ★ Neutral hyperon decays

NA48 / II

- ◆ New K^+ and K^- simultaneous beams
- ◆ New TRD for π/e separation
- ◆ Physics interest
 - ★ Direct CP Violation in $K^\pm \rightarrow 3\pi$ measured through the difference in K^+/K^- decay matrix elements (asymmetry)
 - ★ Charged $Ke4$ decays to test the hypothesis of strong qq condensate in QCD vacuum
 - ★ Measurement of rare charged kaon decays

Final conclusions

- ★ Direct CPV in the neutral kaon system established
 - ★ Rare decay program → very interesting physics in the field of χ PT and CP (kaons and hyperons)
 - ★ Two new addenda approved (HI- K_S and K^\pm)
- Kaon Physics still provides remarkable results